

Combining Task-level and System-level Scheduling Modes for Mixed Criticality Systems

DS-RT 2019, Cosenza Italy, 2019-10-08

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Setting and Purpose



Mixed-critical systems

- ▶ High criticality tasks (**HC**)
- ▶ Low criticality tasks (**LC**)

Setting and Purpose



Mixed-critical systems

- ▶ High criticality tasks (**HC**)
- ▶ Low criticality tasks (**LC**)
- ▶ **HC** tasks should never miss a deadline
- ▶ Dropping as few **LC** tasks as possible

Related Work

Two approaches



System-level mode

- ▶ Two system modes
 - ▶ *Normal*
 - ▶ *Critical*

Task-level mode



Related Work

Two approaches

System-level mode

- ▶ Two system modes
 - ▶ *Normal*
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- ▶ Drop all **LC** tasks
- ▶ Run **LC** tasks in degraded mode

Task-level mode



Related Work

Two approaches

System-level mode

- ▶ Two system modes
 - ▶ *Normal*
 - ▶ *Critical*
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Task-level mode

- ▶ Each **HC** task switches individually to *Critical*



Related Work

Two approaches

System-level mode

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Task-level mode

- ▶ Each **HC** task switches individually to *Critical*
- ▶ Other **HC** tasks can miss their deadline

Assumptions



- ▶ Tasks are preemptible.
- ▶ All tasks are assigned a static criticality level (LC or HC) by design, called default criticality.
- ▶ The execution of a HC task must not be discarded under any runtime circumstances.
- ▶ The runtime criticality of a LC task can never be upgraded to HC.
- ▶ LC tasks stick always to their low confidence WCET.
- ▶ There is no dependency between LC and HC tasks.



Task

A task π_i is given by $\langle T_i, C_i^l, C_i^h, \chi_i, \rho \rangle$ where:

- ▶ T_i is the task period.
- ▶ $C_i^l \in \mathbb{R}_{\geq 0}$ and $C_i^h \in \mathbb{R}_{\geq 0}$ are the worst case execution time for low and high confidence levels respectively. We assume that $C_i^h \geq C_i^l$ for HC tasks, and $C_i^h = C_i^l$ for LC tasks.
- ▶ $\chi_i \in \{\mathbf{LC}, \mathbf{HC}\}$ is the default (constant) criticality of the task.
- ▶ ρ is the task priority.

The task runtime mode $\Omega()$ will be updated on the fly according to the actual task execution budget.



Task types

► Types of tasks

	HC	LC
Type	High criticality	Low criticality
Modes	HI and LO	no modes
WCET	Varies $C_i^h \geq C_i^l$	Static $C_i^h = C_i^l$

Task types

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► Modes for **HC** tasks

	HI	LO
WCET	C_i^h	C_i^l

Three scheduling functions

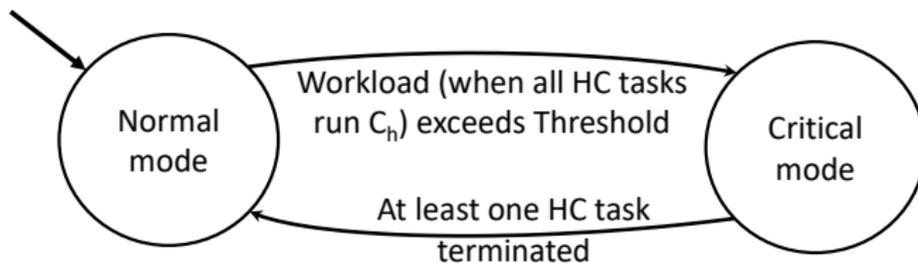
- ▶ Fixed priority scheduling $Sched : 2^\Pi \times \mathbb{R}_{\geq 0} \rightarrow \Pi$
- ▶ Intermediate scheduling

$$Sched_I(\Pi, t) = \pi_i \mid Ready(\pi_i, t) \wedge \forall \pi_j \in \Pi Ready(\pi_j, t) \Rightarrow \begin{cases} \Omega(\pi_j, t) < \Omega(\pi_i, t) \\ \vee \\ \Omega(\pi_j, t) = \Omega(\pi_i, t) \wedge Sched(\{\pi_i, \pi_j\}, t) = \pi_i \end{cases}$$

- ▶ Critical scheduling

$$Sched_C(\Pi, t) = \pi_i \mid Ready(\pi_i, t) \wedge \forall \pi_j \in \Pi Ready(\pi_j, t) \Rightarrow \begin{cases} \chi_j < \chi_i \\ \vee \\ (\chi_j = \chi_i) \wedge \Omega(\pi_j, t) < \Omega(\pi_i, t) \\ \vee \\ (\chi_j = \chi_i) \wedge (\Omega(\pi_j, t) = \Omega(\pi_i, t)) \\ \wedge Sched(\{\pi_i, \pi_j\}, t) = \pi_i \end{cases}$$

System scheduling mode behavior



Example

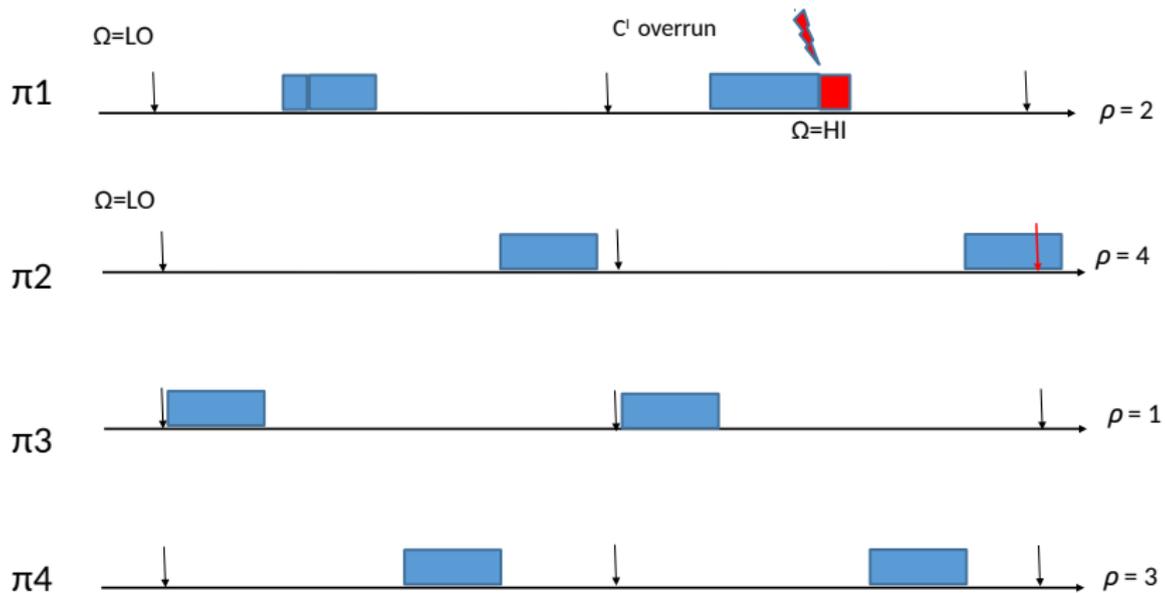
Simple mixed task set



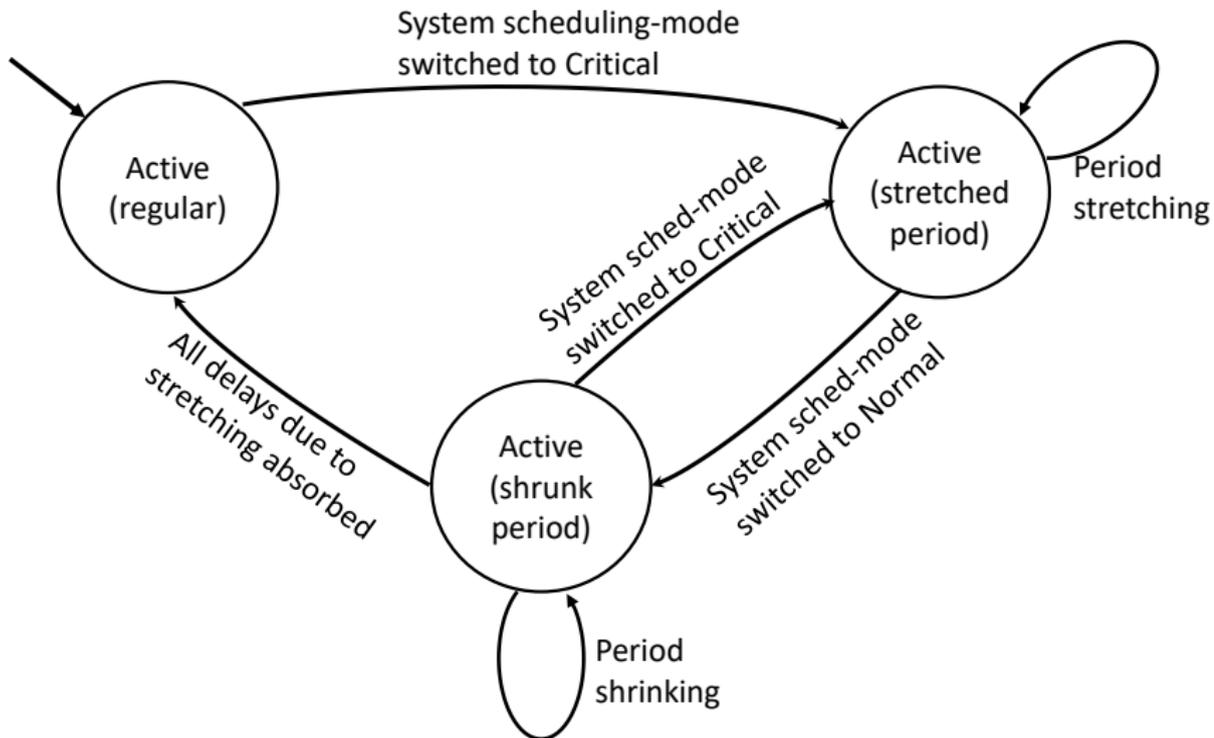
Task	T	C^l	C^h	χ	ρ
π_1	20	5	7	HC	2
π_2	20	5	6	HC	4
π_3	20	5	-	LC	1
π_4	20	4	-	LC	3

Example

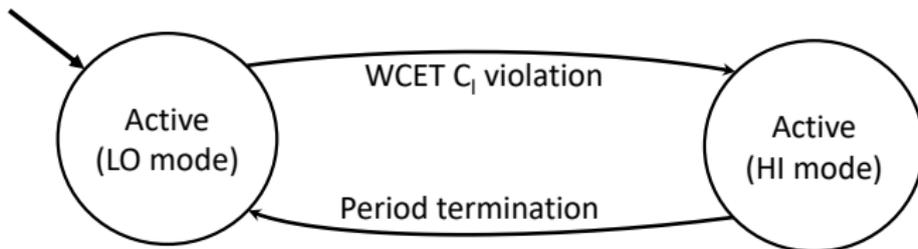
Runtime example for the system in Table



Low criticality task behavior

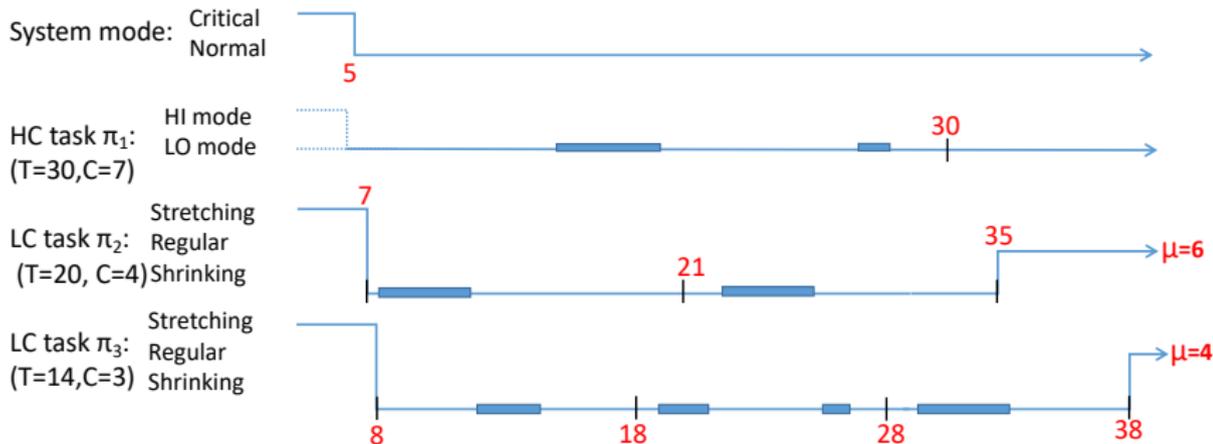


High criticality task behavior



Example of LC task periods shrinking

Shrinking with $\Delta=12$ over interval $[5,30]$



Algorithm

Algorithm 1: Elastic multimode scheduling

```

1 Init();
2 while True do
3   if  $\exists \pi_i \mid \text{Status}(\pi_i, t) = \text{Done} \wedge t \% T_i = 0$  then
4     | Refresh( $\pi_i$ );
5   end
6   if  $\exists \pi_i \mid \chi_i = HC \wedge \Lambda(\pi_i, t) \geq$ 
7     |  $C_i^l \wedge \text{Status}(\pi_i, t) \neq \text{Done}$  then
8     |  $\Omega(\pi_i, t) = HI$ ;
9     | Use(Schedl());
10  end
11  if  $\text{Mode}(t) = \text{Normal} \wedge \text{DEM}(lp_l(t), t) <$ 
12    |  $lp_l(t).T - t \% lp_l(t).T$  then
13    |  $\mathcal{T} = lp_l(t)$ ;
14    |  $\mathcal{S} = t$ ;
15    |  $\text{Mode}(t) = \text{Critical}$ ;
16    |  $\mathcal{P} = \text{Stretching}$ ;
17    | Use(Schedc());
18    | foreach  $\pi_j \mid \chi_j = LC$  do
19    | |  $T_j \mapsto T_j + (lp_l(t).T - t \% lp_l(t).T)$ ;
20    | |  $\delta = \delta + (\mathcal{T}.T - \mathcal{S})$ ;
21  end
22  end

```

```

21  if
22    |  $\text{Mode}(t) = \text{Critical} \wedge \exists \pi_i \mid \mathcal{T}(\pi_i, \mathcal{S}) \wedge t \% T_i = 0$ 
23    then
24    |  $\text{Mode}(t) = \text{Normal}$ ;
25    |  $\mathcal{P} = \text{Regular}$ ;
26    |  $\eta = t$ ;
27    | if  $\exists \pi_j \mid \Omega(\pi_j, t) = HI$  then
28    | | Use(Schedl());
29    | end
30    | else
31    | | Use(Sched());
32    | end
33  end
34  if  $\text{Mode}(t) = \text{Normal} \wedge \delta > 0$  then
35    | if  $\text{DEM}^\delta(lp_l(t), t) \leq lp_l(t).T - t$  then
36    | | foreach  $\pi_j \mid \chi_j = LC$  do
37    | | |  $T_j = T_j - \mu_j$ ;
38    | | end
39    | |  $\mathcal{P} = \text{Shrinking}$ ;
40    | |  $\delta = 0$ ;
41  end

```

Case study

Origin



- ▶ Task set from
 - [14] R. Dodd. Coloured petri net modelling of a generic avionics missions computer. Technical report, Department of Defence, Australia, Air Operations Division, 2006.
- ▶ WCET (C^l) given in original case.
- ▶ WCET (C^h) calculated from data fetching times.
 - ▶ $20\mu s$ for data words
 - ▶ $40\mu s$ for a command
 - ▶ $40\mu s$ for a status

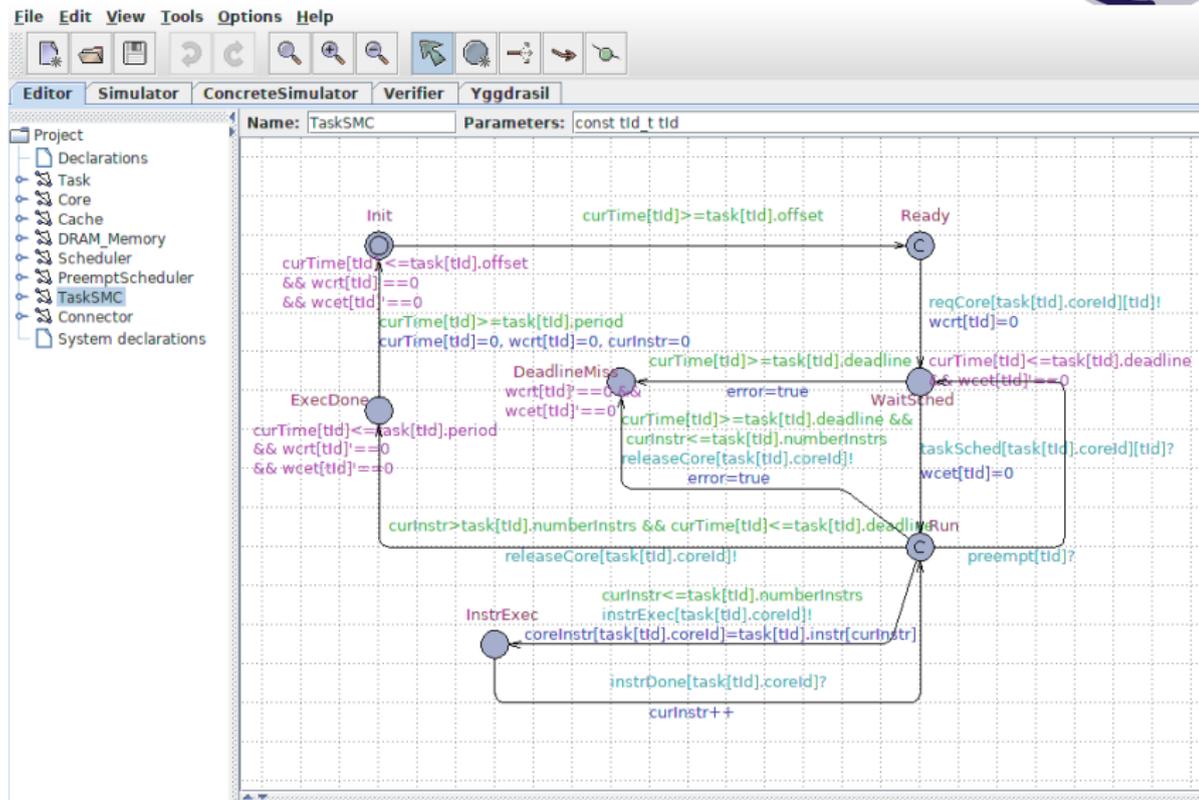
Case study

Tasks

Task	χ	T	C^l	C^h	ρ
Aircraft flight data(π_1)	HC	55	8	8.9	6
Steering(π_2)	HC	80	6	6.3	9
Target tracking(π_3)	HC	40	4	4.2	3
Target sweetening(π_4)	HC	40	2	2	4
AUTO/CCIP toggle(π_5)	HC	200	1	1	12
Weapon trajectory(π_6)	HC	100	7	7.5	10
Reinitiate trajectory(π_7)	LC	400	6.5	-	14
Weapon release(π_8)	HC	10	1	1.2	1
HUD display(π_9)	LC	52	6	-	7
MPD tactical display(π_{10})	LC	52	8	-	8
Radar tracking(π_{11})	HC	40	2	2.2	2
HOTAS bomb button (π_{12})	LC	40	1	-	5
Threat response display(π_{13})	LC	100	3	-	11
Poll RWR(π_{14})	LC	200	2	-	13
Periodic BIT(π_{15})	LC	1000	5	-	15

Case Study

Uppaal model



Case Study

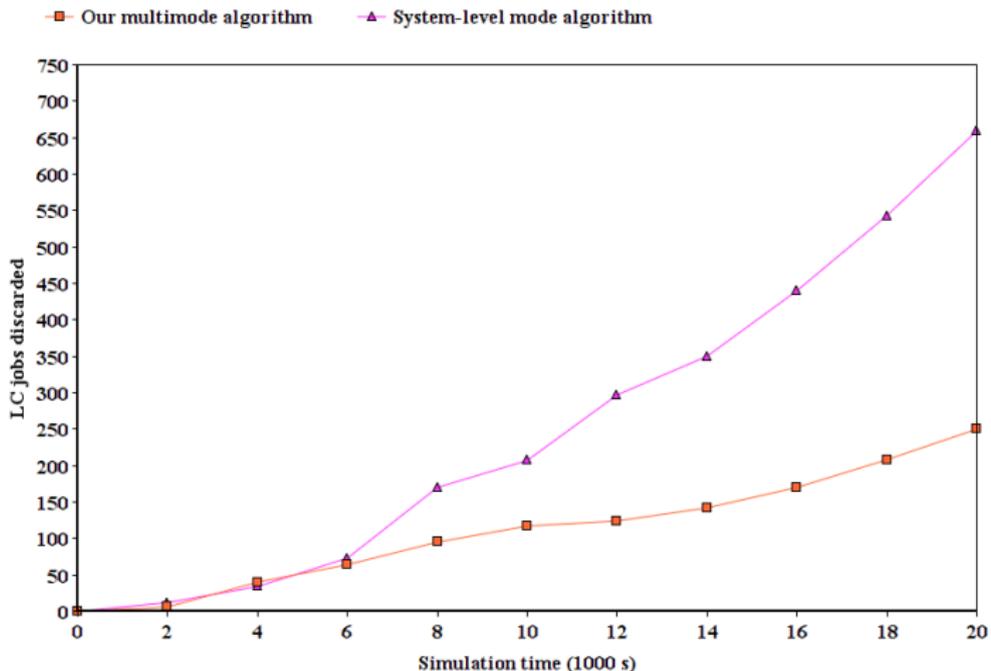
Results



- ▶ Not schedulable with classical fixed priority scheduling
 - ▶ tasks π_{10} and π_{11} miss their deadlines
- ▶ Not schedulable with task-level mode scheduling
 - ▶ task π_{10} misses its deadline (response time 106)
- ▶ System-level scheduling vs. our algorithm

Case study

Experimental results



Case study

Experimental results



- ▶ Discard rate of the LC task jobs achieved by our algorithm is 1.0% to 4.58%
 - ▶ Discard rate achieved by the state of the art system-level bi-mode scheduling [13], [33] is 2.1% to 11.5%.
- [13] D. de Niz, K. Lakshmanan, and R. Rajkumar. On the scheduling of mixed-criticality real-time task sets. In RTSS'09, pages 291–300, 2009.
- [33] B. Madzar, J. Boudjadar, J. Dingel, T. E. Fuhrman, and S. Ramesh. Formal analysis of predictable data flow in fault-tolerant multicore systems. In FACS '16, pages 153–171, 2016



Conclusion

Conclusion

- ▶ Flexible multi-mode scheduling for mixed-criticality systems
 - ▶ accurate and non-aggressive system mode switches
- ▶ Stretching of periods
- ▶ Much less dropping of **LC** tasks
- ▶ Too computation heavy at the moment



Conclusion

And future work

Conclusion

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 - ▶ accurate and non-aggressive system mode switches
- ▶ Stretching of periods
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Future Work

- ▶ Real implementation
- ▶ Optimization of algorithm overhead

Questions?

